

**INDUSTRIAL INSTRUMENTATION LAB**

**KIC653**



**SESSION 2020-2021**

**DEPARTMENT OF ELECTRONICS AND INSTRUMENTATION  
ENGINEERING**

**INSTITUTE OF ENGINEERING AND TECHNOLOGY LUCKNOW  
UTTAR PRDAESH**

## INDUSTRIAL INSTRUMENTATION LAB KIC653

1. Instrumentation Amplifier: Design for specific gain and verification of CMRR.
2. Analog to digital conversion using ADC kit
3. Digital to analog conversion using DAC for 4-bit/8bit systems.
4. Study of low noise and low frequency amplifier for biomedical application.
5. Design of temperature sensor circuit using RTD.
6. Design of temperature sensor circuit using thermocouple.
7. Design of Linearization and temperature measurement circuit using thermistor.
8. Study of pressure transmitter.
9. Study of Dead weight tester.
10. Study of level measurement using capacitance probe, differential pressure transmitter.
11. Study of flow measurement methods using orifice, electromagnetic and positive displacement flow meters.
12. Study of PID controller.

### **Experiment beyond the syllabus-**

1. Characteristics of capacitive transducer (i) Variable area (ii) Variable distance.
2. Measurement of resistance using wheatstone's bridge
3. Measurement of resistance using kelvin's double bridge.
4. Measurement of capacitance using schering's bridge

## Experiments performed via virtual instruments platform

### Experiment-6

Objective – Temperature measurement using thermocouple.

Screen shots of this experiment is given below-

6/4/2021

Thermocouple

Sensor Analysis

Thermocouple

**Level-1 Static Characteristics**

Thermocouple with Head

Thermocouple Reference Table

**Control Panel**

Thermocouple Type:

Nickel-10% Chromium(+)Versus Nickel-5%-(Aluminum Silicon)

Reference Temp:

Useful Temperature Range: 95°C to 1260°C

Enter Input value mV:  Enter your Output

Selected Values:

Thermocouple Type: K

Reference Temp: 0

**NOTE**

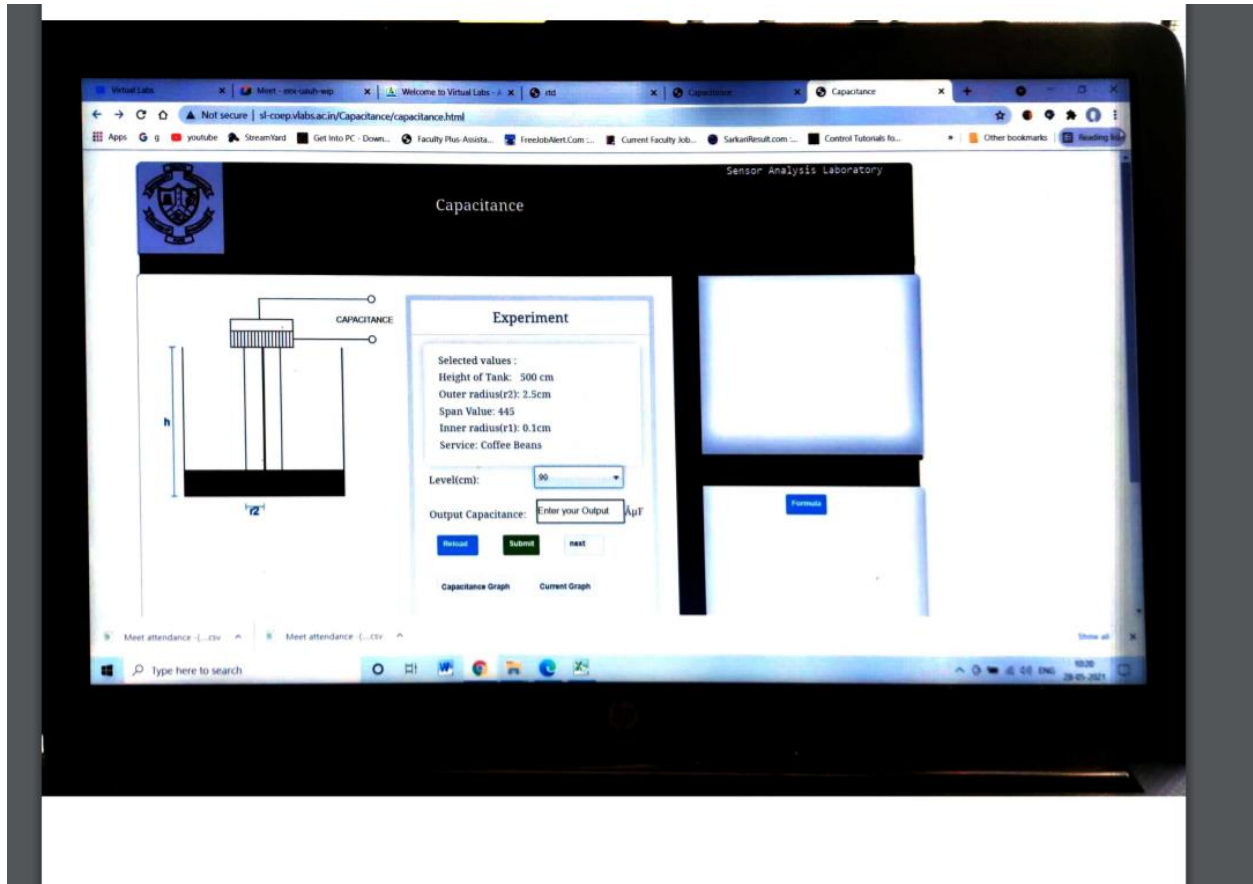
1. For simulation purpose limited to 400 Hz, f

2. As the thermocouple is converted to lower order, it may differ from reference

## Experimnet-10

Objective- Level measurement using capacitive sensor

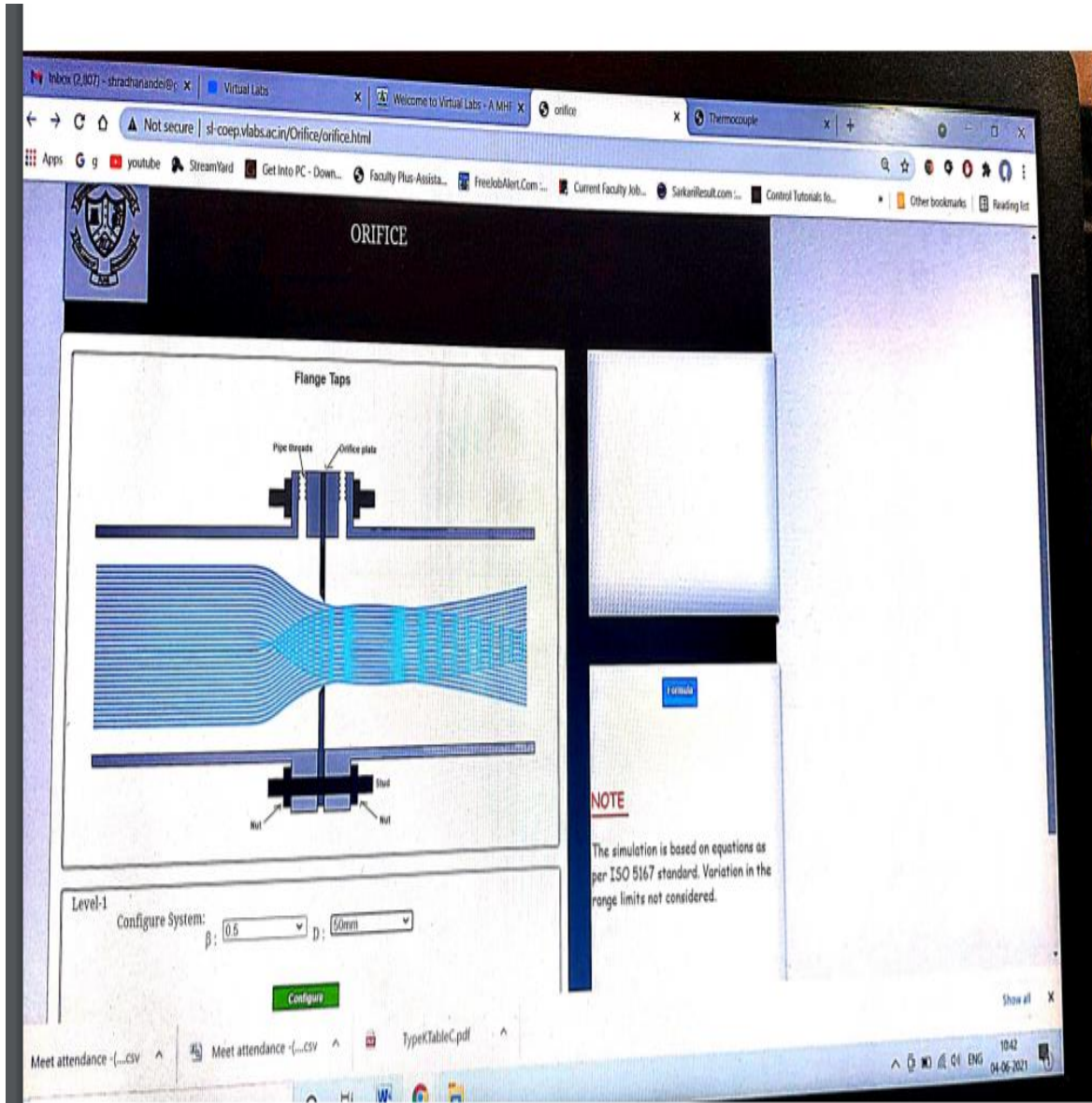
A screen shot of this experiment is given below-



## Experiment-11

Objective-Flow measurement using orifice flow meter

Screen shots of this experiment is given below-



Not secure | sl-coep.vlabs.ac.in/Orifice/orifice.html

Apps G g youtube StreamYard Get into PC - Down... Faculty Plus-Assista... FreeJobAlert.Com ... Current Faculty Job... SarkaniResult.com ... Control Tutorials fo... Other bo...

### Flange Taps

Pipe threads    Orifice plate

Stud

Nut    Nut

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Level-1 Control Panel:

Q:  1414 lph Show  $C_d$   Level-2

User Input  $\Delta P$ (mmWC):  Submit Plot Reload Next Set of Values

### Configuration

Calculation for water service with flange taps :

$\beta$  : 0.5  
 $D$  : 50mm

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Formula

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**NOTE**

The simulation is based on equations as per ISO 5167 standard. Variation in the range limits not considered.

Flow measurement using orifice meter

$$Q = 1414 \text{ lph}$$

→ Convert it into  $\frac{\text{m}^3}{\text{s}}$

$$C_d = 0.6196$$

$$\frac{d}{D} = 0.5$$

$$\beta = 0.5 = \frac{d}{D}$$

$$\left[ \begin{array}{l} D = 50 \text{ mm} \\ d = 0.5D \\ d = \frac{D}{2} = 25 \text{ mm} \end{array} \right.$$

$$Q = \frac{C_d A_2}{\sqrt{1 - \beta^4}} \sqrt{\frac{2 \Delta P}{\rho}}$$

From above equation we can calculate  $\Delta P$  in Pascal.

## Experiment-12

### Objective: Design of PID controller

#### Theory-

r = set point (the desired value of a controlled variable is referred to as its set point)

y = process output (controlled variables)

e = error signal

u = controller output

Output of the controller can be expressed as:

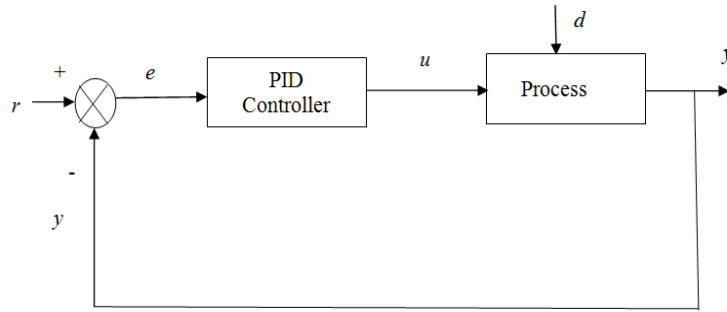
$$u^c(k) = K_p \left[ e(k) + \frac{\Delta t}{T_i} \sum_{i=0}^k e(i) + \frac{T_d}{\Delta t} \Delta e(k) \right]$$

Or

$$u^c(k) = K_p e(k) + K_i \sum_{i=0}^k e(i) + K_d \Delta e(k).$$

Where  $K_p$  is the proportional gain,  $K_i = K_p \left( \frac{\Delta t}{T_i} \right)$  is the integral gain,  $K_d = K_p \left( \frac{T_d}{\Delta t} \right)$  is the derivative gain,  $T_i$  is the integral time,  $T_d$  is the derivative time, and  $\Delta t$  is the sampling time period. Proper selection of the three tuning parameters –  $K_p$ ,  $T_i$ , and  $T_d$  is a critical task to attain the desired close-loop performance.





## MATLAB CODES

We have written the code for following process model.

- $G_p(s) = \frac{e^{-Ls}}{(1+s)^2}$ ,  $L=0.2$  second

SN.	PROCESS MODEL	DELAY	ULTIMATE GAIN	ULTIMATE PERIOD
1-	$G_p(s) = \frac{e^{-Ls}}{(1+s)^2}$	L=0.2	10.5	2.0333

## MATLAB CODE FOR PID CONTROLLER :

```

clc;
clear all;

h=0.1;
t = 0:h:16;

```

```

tf=16/h;
y = zeros(1,length(t));
u = zeros(1,length(t));
e = zeros(1,length(t));
x = zeros(1,length(t));
y(1) = 0;
x(1)=0 ;
r=1
e(1)=r - y(1);

```

```

ku=10.5;
tu=2.033;

```

```

kc=0.6*ku
ti=tu/2
td=tu/8

```

```

u(1)=kc*(e(1) +(0.1/ti)*sum(e));

```

```

F_xy = @(x) -2*x;

```

```

for i = 1:2

```

%y and u taken as time input and x as output

```

k_1 = F_xy(x(i));
k_2 = F_xy(x(i)+0.5*h*k_1);
k_3 = F_xy((x(i)+0.5*h*k_2));
k_4 = F_xy((x(i)+k_3*h));

x(i+1) = x(i) + (1/6)*(k_1+2*k_2+2*k_3+k_4)*h;

y(i+1)=y(i)+h*x(i+1);

e(i+1)=r-y(i+1);

er=sum(e);

ed=e(i+1)-e(i);

u(i+1)=kc*(e(i+1) +(0.1/ti)*sum(e)+(td/0.1)*ed);

```

```

end

```

```

F_xy = @(u,y,x) u-y-2*x;

```

```

for i = 3: length(t)
    k_1 = F_xy(u(i-2),y(i),x(i));

    k_2 = F_xy(u(i-2)+0.5*h,y(i)+0.5*h,x(i)+0.5*h*k_1);

    k_3 = F_xy((u(i-2)+0.5*h),(y(i)+0.5*h),(x(i)+0.5*h*k_2));

    k_4 = F_xy((u(i-2)+h) ,(y(i)+h) ,(x(i)+k_3*h));

    x(i+1) = x(i) + (1/6)*(k_1+2*k_2+2*k_3+k_4)*h;

    y(i+1)=y(i)+h*x(i+1);
    e(i+1)=r-y(i+1);
    er=sum(e);
    ed=e(i+1)-e(i);

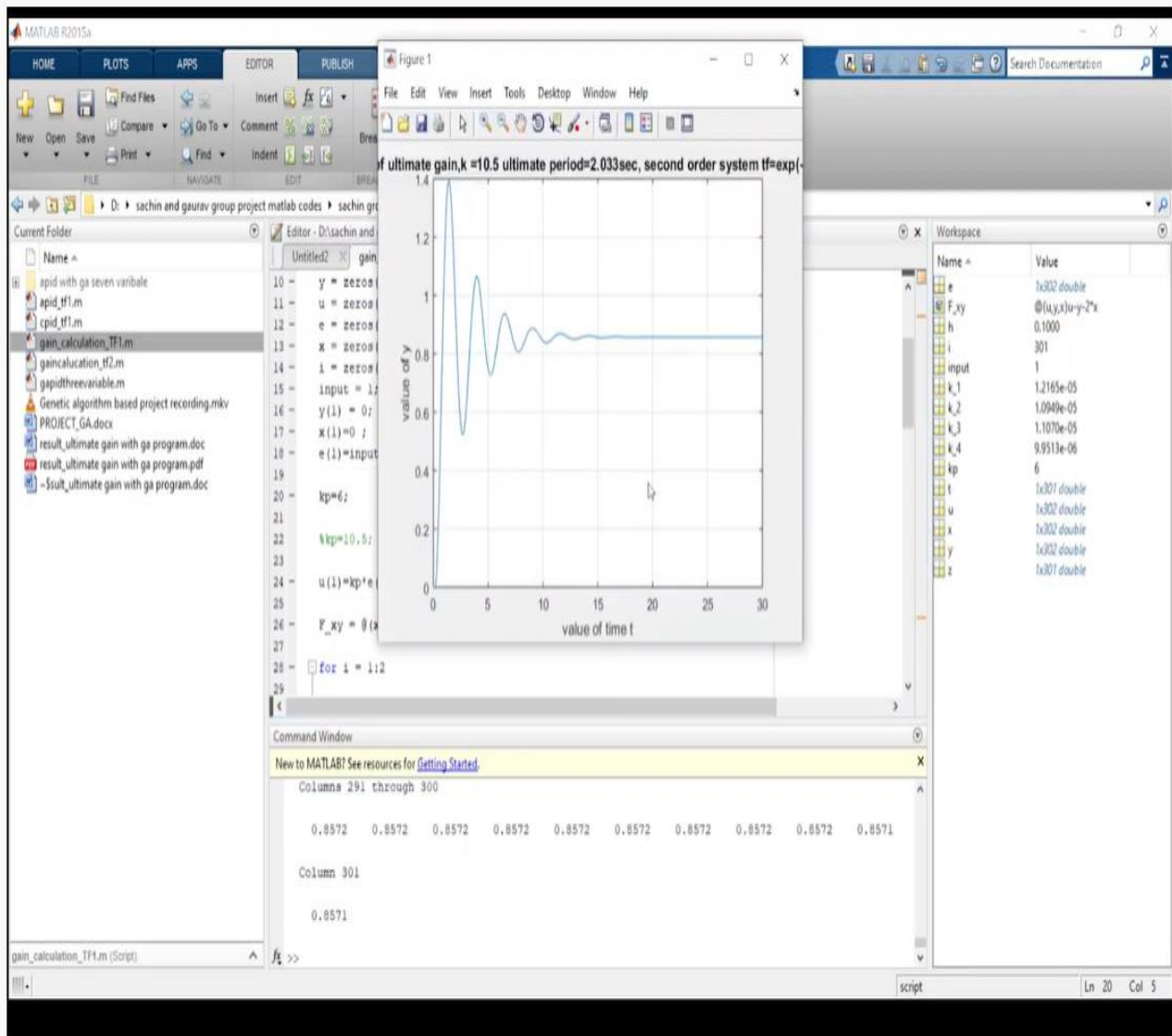
    u(i+1)=kc*(e(i+1) +(0.1/ti)*sum(e)+(td/0.1)*ed);

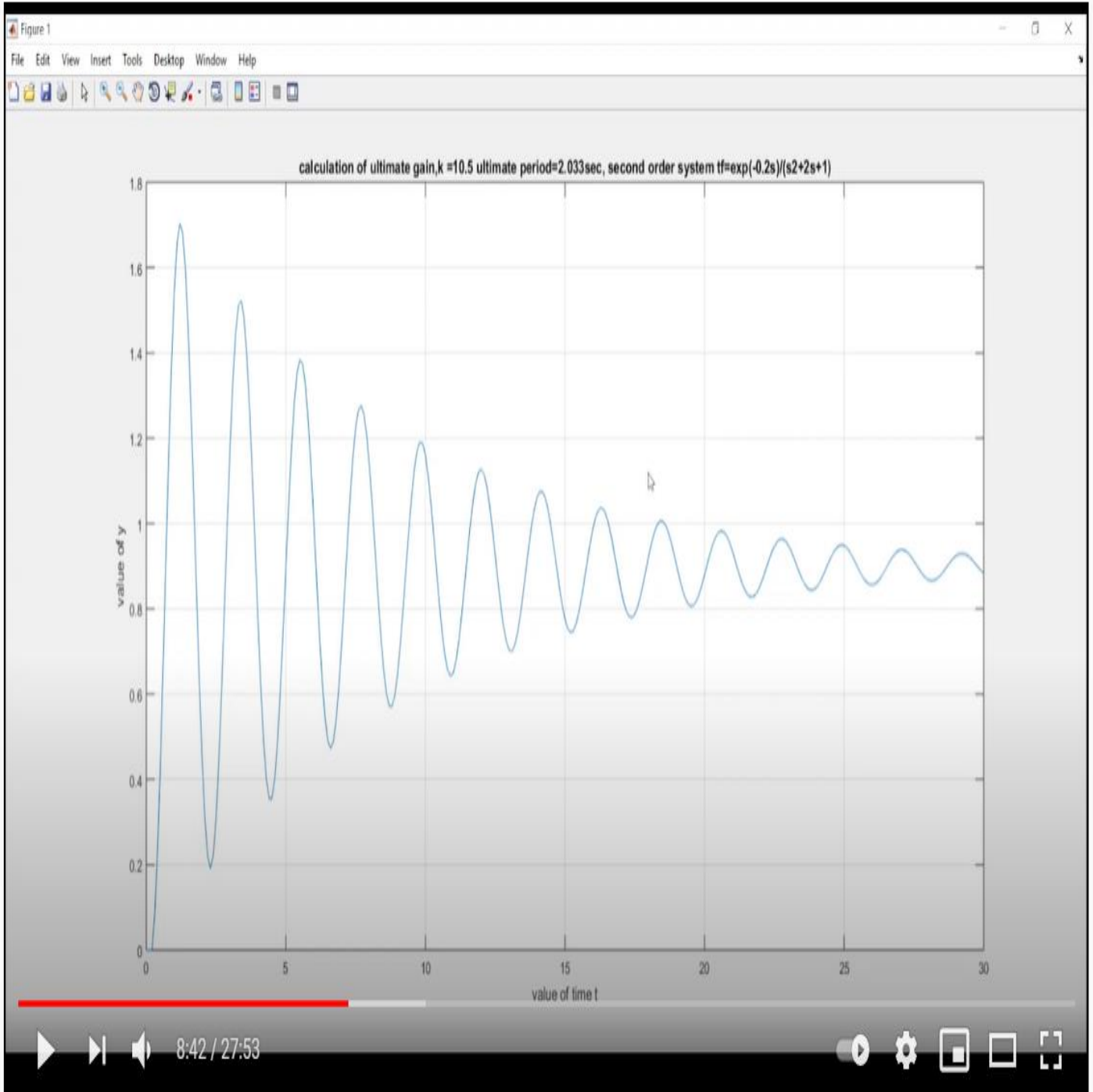
end

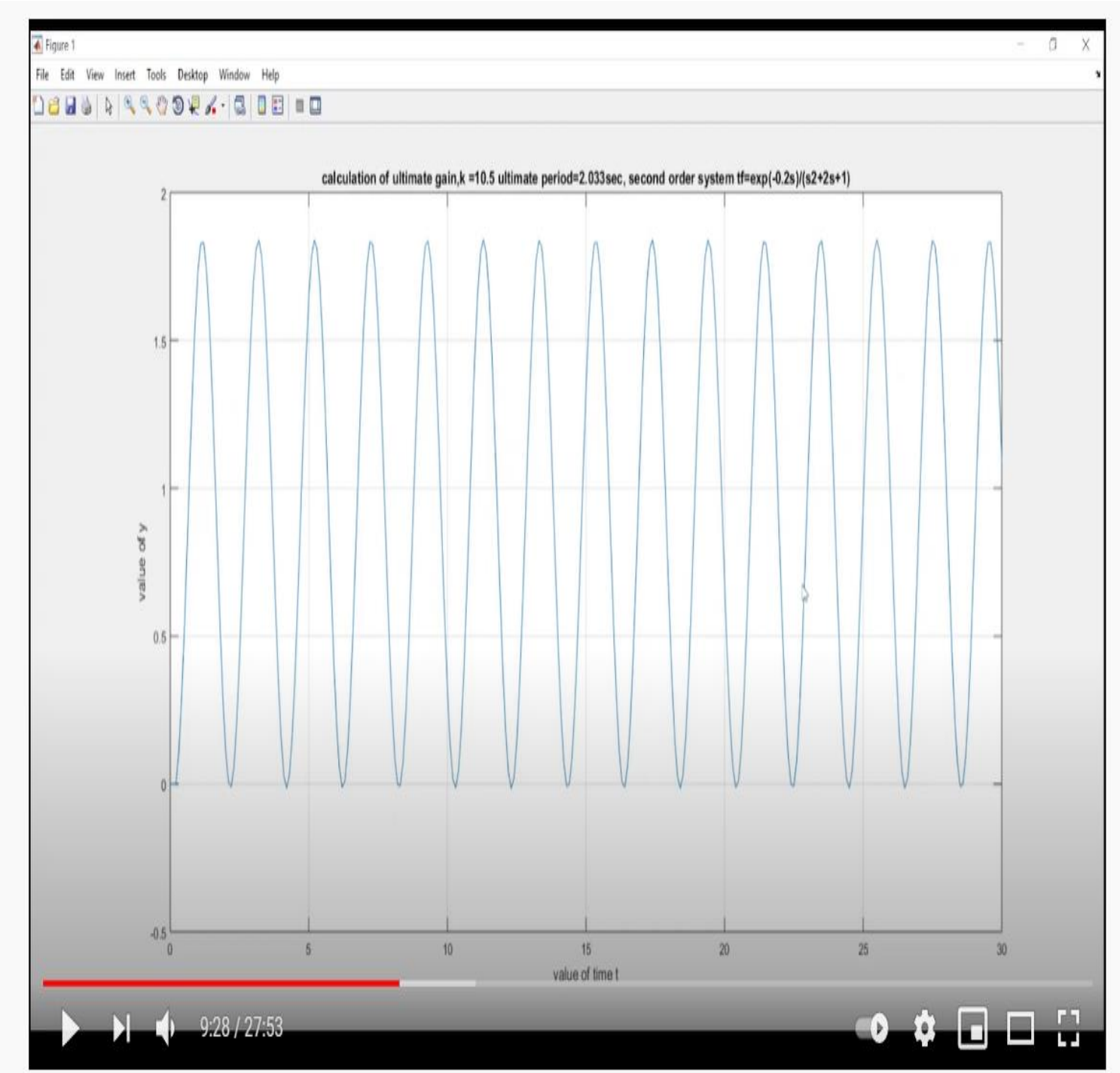
z=y(1:tf+1);
plot(t,z,'--')
xlabel('Time t ')
ylabel('Response y')
title(' CPID(- - -) Response of second order system TF=exp(-0.2s)/s2+2s+1')
grid on

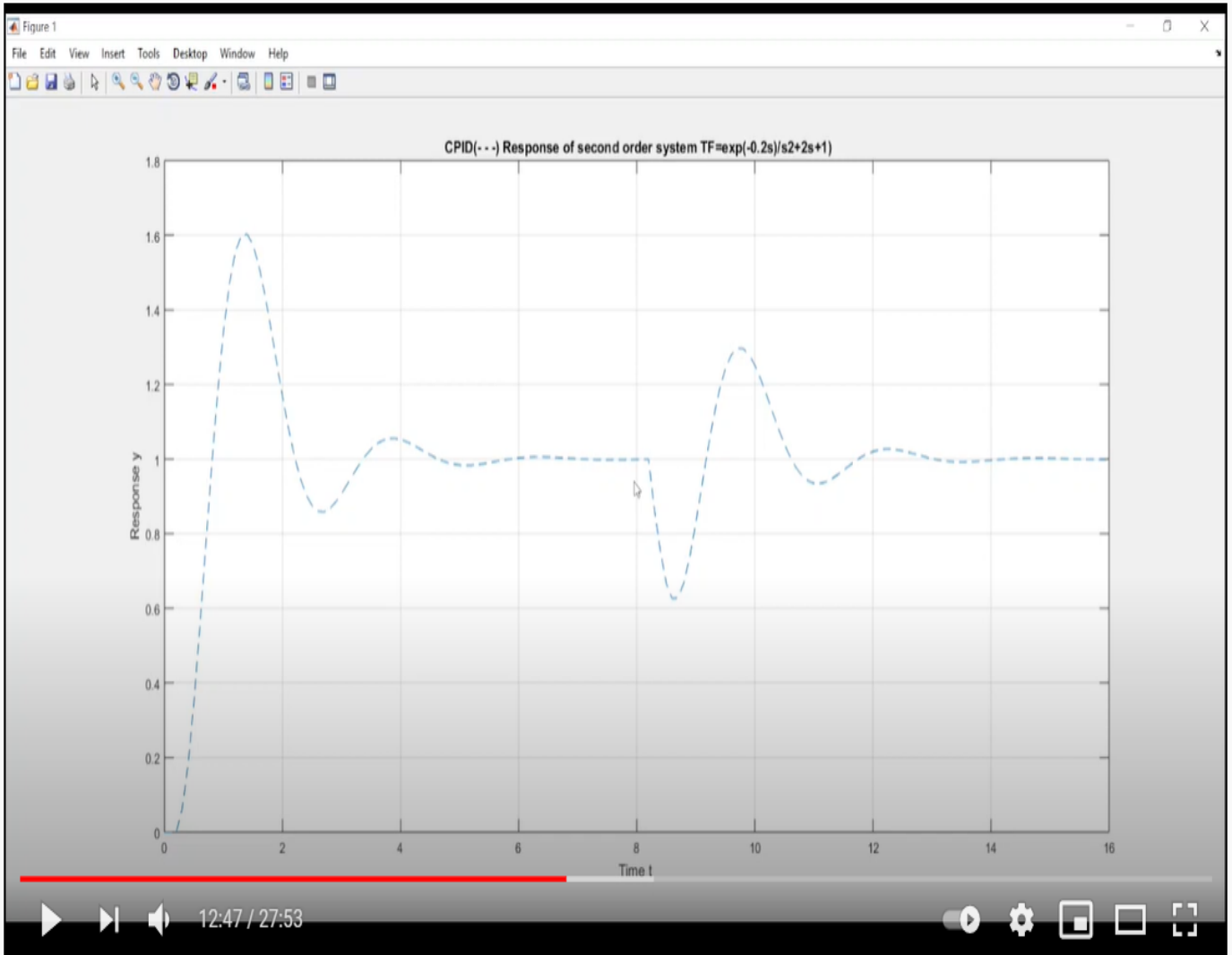
```

**Screen shots:**









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